

Week 4 Tutorial: Functions in R

POP77001 Computer Programming for Social Scientists

Naming Functions

- Use **lower_case_with_underscores** style for R objects.
- Give short, but descriptive names.
- Try to use verbs in function names:

```
1 summarise()  
2 get_coefs()
```

rather than:

```
1 summary()  
2 coefs()
```

- An added benefit is in distinguishing user-defined functions from built-in (e.g. `summary()`, `coef()`)

Code Layout

- Limit all lines to a maximum of 79 characters.
- If the function name and definition are too long, break it up:
 - across *function-indented* lines:

```
1 long_function_name <- function(a = "a long argument",
2                               b = "another argument",
3                               c = "another long argument") {
4   # As usual code is indented by two spaces.
5 }
```

- across *double-indented* lines:

```
1 long_function_name <- function(
2   a = "a long argument",
3   b = "another argument",
4   c = "another long argument") {
5   # As usual code is indented by two spaces.
6 }
```

- When it fits, *function-indented* style should be preferred to *double-indented*.

Exercise: Function Definition

- Study the code for calculating a t-test below:

```
1 t_test <- function(x, y) {  
2   # Calculate the means of the two samples  
3   mean_x <- mean(x)  
4   mean_y <- mean(y)  
5  
6   # Calculate the variances of the two samples  
7   var_x <- var(x)  
8   var_y <- var(y)  
9  
10  # Calculate the sample sizes  
11  n_x <- length(x)  
12  n_y <- length(y)  
13  
14  # Calculate the sample standard errors  
15  se_x <- sqrt(var_x/n_x)  
16  se_y <- sqrt(var_y/n_y)  
17  se <- sqrt(se_x^2 + se_y^2)  
18  
19  # Calculate the t-statistic  
20  t_stat <- (mean_x - mean_y) / se  
21  
22  # Calculate the degrees of freedom  
23  df <- se^4/(se_x^4/(n_x - 1) + se_y^4/(n_y - 1))  
24  
25  # Calculate the p-value  
26  p_val <- 2 * (1 - pt(abs(t_stat), df))  
27  
28  # Create a result list  
29  res <- list(  
30    t_statistic = t_stat,  
31    degrees_of_freedom = df,  
32    p_value = p_val  
33  )  
34  
35  return(res)  
36 }
```

Exercise: Function Components

- What are the components of the function `t_test()`?
- Check each component using access functions.

Exercise: Function Call

- Call the function on 2 random samples from the standard normal distribution (`rnorm()`).
- What is the return object of this function?
- Compare the return object of the `t_test()` with that of the built-in `t.test()`.
- Modify the function code to use implicit return.
- Modify the function to return a named vector instead of a list.

Exercise: Built-in Source Code

- As R is an open source language, you can check the inner workings of all the built-in functions.
- Run `getS3method("t.test", "default")` to study the source code of the built-in `t.test()` function.

Exercise: Functionals

- As R is a functional language, many of iteration routines can be avoided.
- E.g. instead of creating a loop for calculating standard deviations, we can use `apply()` function.
- `apply(<object_name>, 2, <function_name>)` allows to calculate the desired summary statistic for each of the variables.
- Apply this function to the matrix from the exercise above
- Now, change 2 in the function call to 1
- What do you see? What do the current numbers show? Does this summary make sense and why?

```

1 # When dealing with random number generation it's always a good idea to mak
2 # by setting the seed with set.seed(function)
3 set.seed(2025)
4 # Here we create a matrix of 30 observations of 5 variables
5 # where each variable is a random draw from a normal distribution with mean
6 # and standard deviation drawn from a uniform distribution between 0 and 10
7 mat <- mapply(
8   function(x) cbind(rnorm(n = 30, mean = 0, sd = x)),
9   runif(n = 5, min = 0, max = 10)
10 )

```

```
1 mat
```

	[,1]	[,2]	[,3]	[,4]	[,5]
[1,]	0.0780885	3.48089343	2.9553545	3.2248615	-4.66712911
[2,]	-8.3269637	-2.05680059	6.5670977	8.3727181	-13.86628154
[3,]	1.2834069	-4.25078791	3.0311714	-3.6736945	2.20685092
[4,]	12.2189488	12.51048821	2.2500211	5.8992348	12.81071523
[5,]	-14.5079803	-0.83591818	-0.8329266	1.0321989	5.73323413
[6,]	7.8277431	-0.04931062	1.4101378	6.7058639	2.63359979
[7,]	-2.5172557	1.27351635	-5.6927903	-12.9850971	-8.19349948
[8,]	-9.0808601	1.07779111	3.0050245	-4.1673004	0.51438396
[9,]	6.5582896	-3.70133731	7.1498934	-8.8572673	0.05485376
[10,]	4.1685004	-6.50775660	9.0180872	-4.5555447	-4.32601307
[11,]	10.2156894	-1.84773737	2.4000462	6.2044559	-6.12311135
[12,]	-6.1880010	-4.12393197	-2.1740754	-0.4008144	3.40181041

Week 4 Exercise (unassessed)

- Re-visit the code for converting grades into marks:

```
1 convert_mark_to_grade <- function(mark) {  
2   if (mark >= 70) {  
3     grade <- "I"  
4   } else if (mark >= 60) {  
5     grade <- "II.1"  
6   } else if (mark >= 50) {  
7     grade <- "II.2"  
8   } else {  
9     grade <- "F"  
10  }  
11  grade  
12 }
```

- As discussed in the lecture, this function only takes a single mark as an input.
- Modify this function such that it takes a vector of marks (longer than 1) as an input and returns a vector of grades.